

Genetics – Lecture 5; Probability and strategies for analysis of Mendelian genetic data

Q1. Albinism is recessive. Given a family of 4 having heterozygous parents, what are the chances that:

- a) 1st child is albino
Need (aa), $\frac{1}{4}$ chance.
- b) 3rd child is normally pigmented
Need (A₋), $\frac{3}{4}$ chance.
- c) All 4 children normally pigmented.
 $(\frac{3}{4})^4$
- d) Only 1st child is albino
 $P(aa, A_-, A_-, A_-) = (\frac{1}{4}) * (\frac{3}{4})^3$
- e) Only one child will be albino
 $P(aa, A_-, A_-, A_-)$ or
 $P(A_-, aa, A_-, A_-)$ or
 $P(A_-, A_-, aa, A_-)$ or
 $P(A_-, A_-, A_-, aa)$
 $[(\frac{1}{4})(\frac{3}{4})^3] * 4$
- f) 4th child is a normally pigmented female
 $p(A) \times p(\text{female}) = (\frac{3}{4})(\frac{1}{2}) = \frac{3}{8}$

Q2. Assume there are four genes on separate chromosomes, and that lower case letters indicate recessive alleles. Given the following cross:

AaBBCcdd × aaBbCcDd

- a) What is the probability of an offspring that is dominant for all four traits?
Dominant for all four traits: A₋B₋C₋D₋
 $p(Aa \times aa) \quad A_- \quad \frac{1}{2}$
 $p(BB \times Bb) \quad B_- \quad 1$
 $p(Cc \times Cc) \quad C_- \quad \frac{3}{4}$
 $p(dd \times Dd) \quad D_- \quad \frac{1}{2}$
 $\frac{1}{2} * 1 * \frac{3}{4} * \frac{1}{2} = \frac{3}{16}$
- b) If 64 offspring are produced, how many of the above offspring would you expect to be dominant for all four traits?
 $\frac{3}{16} * 64 = 12$

Q3: In lemurs, two autosomal loci determine type of tail. One locus controls shape of tail; the allele for straight tail (A) is dominant over kinked tail (a). Another locus controls colour (black, white, or striped); there are two alleles at this locus and heterozygotes (Bb) have the striped phenotype. Assume you have a male and female that are heterozygous at both loci.

a) What is the phenotype of the male and female?

Straight and striped for both.

$AaBb * AaBb$

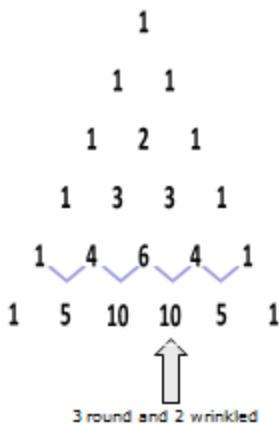
b) Predict the phenotypic ratios of their offspring.

<u>Locus 1</u>			<u>Locus 2</u>		<u>Offspring</u>
BB	1/4	x	A ₋ (3/4)		BBA ₋ (3/16)
		x	Aa (1/4)		BBaa
Bb	2/4	x	A ₋ (3/4)		BbA ₋
		x	Aa (1/4)		
bb	1/4	x	A ₋ (3/4)		
			Aa (1/4)		

3. Combination of events

- Possible distribution of boys and girls in a family of 2 children.
- Coefficient of 2 reflects that there are 2 possible orders for 1 boy and 1 girl.
- Easy way:
- If n is the total number (e.g. family size), there are n+1 terms in the list.

Pascal's triangle



e.g. How many combinations of 3 round and 2 wrinkled peas in a pod with 5 peas?

Construct Pascal's triangle for $n+1 = 6$ terms (left)

10 combinations.

Another way:

- Number of combinations = $n! / x!y!$
- E.g. same question as above: $5! / 3!2!$

Q4: Assume that three genes (loci) in wheat (a diploid species) contribute a dose of pigment to the kernel. Alleles at any locus that deliver a dose of pigment are denoted +, and alleles that don't are -

a) What is the max and min number of + alleles an individual can have?

Minimum 0, maximum 6.

b) How many combinations of alleles are possible that give us 3 + and 3 -

$6! / 3!3! = 20$

4. Binomial probability

Use coefficient if asked for in any order.

If in a specific sequence, just use probability multiplication with no coefficient

What is the probability of 3 round and 2 wrinkled peas in a pod with 5 peas?

$r = (\text{prob of round}) (R_) = \frac{3}{4}$

$w = (\text{prob of wrinkled}) (rr) = \frac{1}{4}$

$(5! / 3!2!) * r^3 * w^2 = 0.26$

Q5: You plan to cross heterozygous peas for recessive waxy and wrinkled. Given a pod of 16 peas, what is the probability that you will observe 10 normal-normal, 3 normal-wrinkled, 2 waxy-normal, and 1 waxy-wrinkled.

9/16 A_B_ Normal normal

3/16 aaB_ Waxy normal

3/16 A_bb Normal wrinkled

1/16 aabb Waxy wrinkled

$(16! / 10!3!2!1!) * (9/16)^{10}(3/16)^3(3/16)^2(1/16)^1$